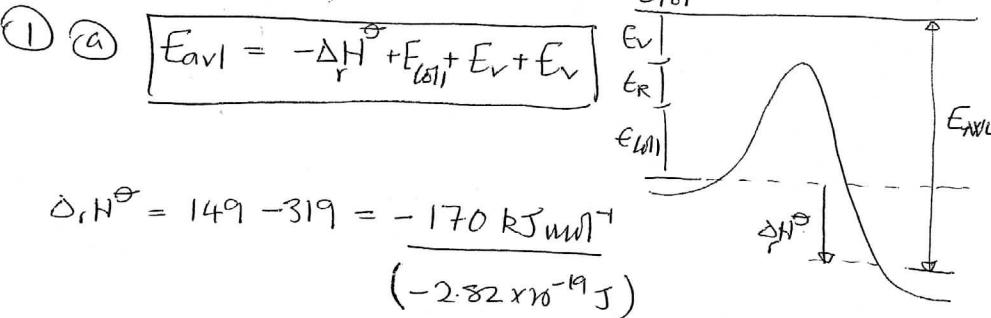


Molecular Reaction Dynamics

Crib



$$\Delta H^\circ = 149 - 319 = \frac{-170 \text{ kJ mol}^{-1}}{(-2.82 \times 10^{-19} \text{ J})}$$

$$E_{\text{coll}} = \frac{1}{2} \mu V_{\text{rel}}^2 \\ \equiv \frac{10.81 \text{ kJ mol}^{-1}}{(1.79 \times 10^{-20} \text{ J})}$$

$$E_r = RT \quad (\text{assume equipartition of rot'n energy}) \\ = \frac{2.49 \text{ kJ mol}^{-1} I_2}{(4.13 \times 10^{-21} \text{ J})}$$

$$E_v \sim h c \nu e \left(e^{\theta \nu / T} - 1 \right)^{-1} \\ \equiv \frac{1.425 \text{ kJ mol}^{-1}}{(2.37 \times 10^{-21} \text{ J})}$$

$$E_{\text{AvL}} = \frac{182 \text{ kJ mol}^{-1}}{(3 \times 10^{-19} \text{ J})}$$

$$V_{\text{rel}} = 800 \text{ m s}^{-1} \\ \mu = \frac{39 \cdot 254}{39+254} \text{ u} \\ = 5.61 \times 10^{-26} \text{ kg}$$

$$\theta \nu = \frac{h c \nu e}{k_B} = 309 \text{ K} \\ \left(e^{\theta \nu / T} - 1 \right)^{-1} = 0.555$$

(2)

$$(b) \sigma_R = \int_0^{b_{\max}} P(b) 2\pi b db \simeq \pi b_{\max}^2 \quad \begin{aligned} &(\text{assuming } P(b) = 1 \\ &\text{for } 0 < b \leq b_{\max}) \end{aligned}$$

$$b_{\max} = 7.4 \text{ Å}$$

$$(L)_{\max} = \mu V_{\text{rel}} b_{\max} = 5.61 \times 10^{-26} \times 800 \times 7.4 \times 10^{-10} \\ = 3.3 \times 10^{-32} = \hbar \sqrt{L(L+1)}_{\max} \\ \simeq \hbar (L+\frac{1}{2})_{\max}$$

$$L \simeq 312$$

(c)

$$E'_R \simeq B_e' J'(J'+1) \quad J' = L \quad (\text{assumed}) \\ = 5957 \text{ cm}^{-1} \\ \equiv 71.2 \text{ kJ mol}^{-1} \quad \begin{aligned} &(\text{Nb., } \\ &J' = 312 \text{ is energetically} \\ &\text{accessible.}) \end{aligned}$$

(2)

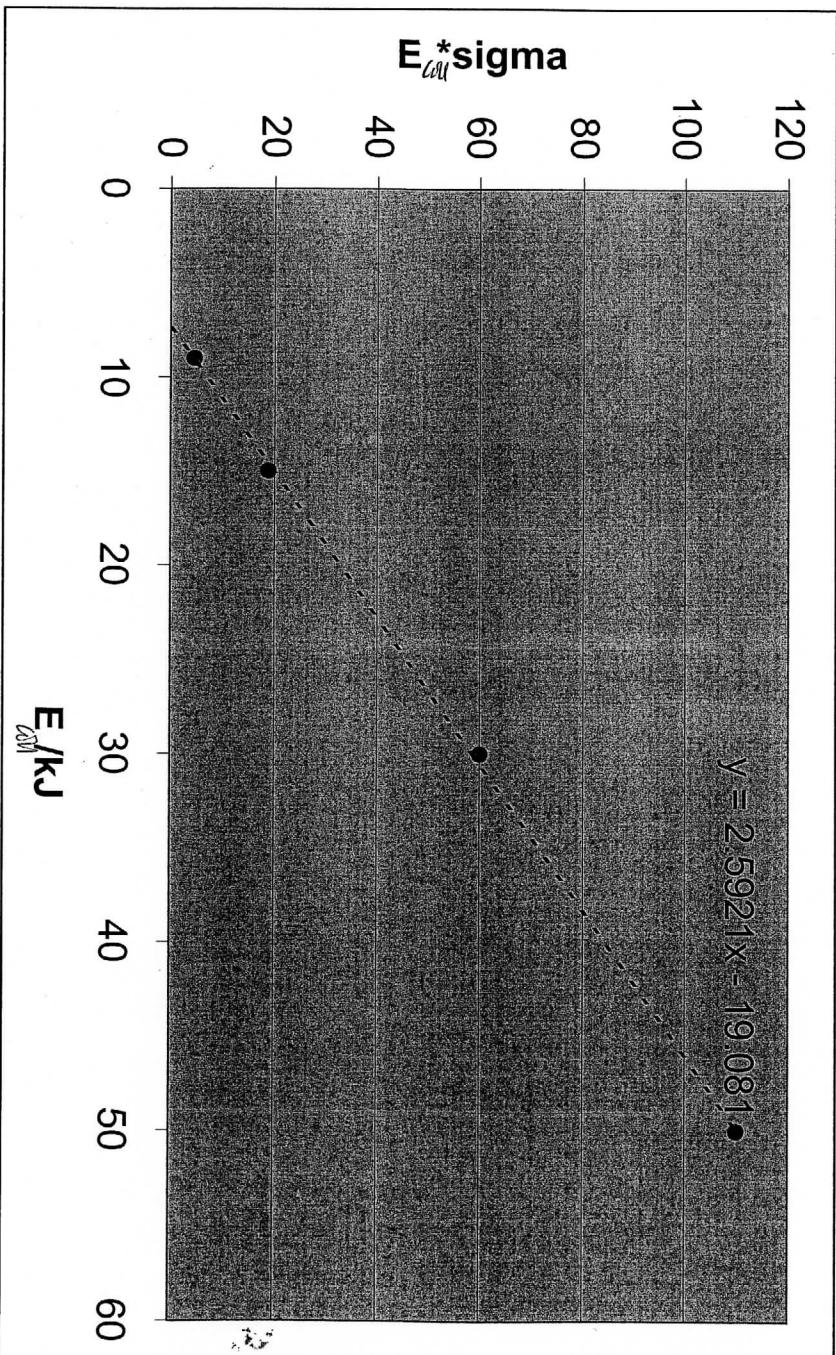
$$\sigma_R(E_{\text{coll}}) = \pi d^2 \left(1 - \frac{E_0}{E_{\text{coll}}} \right)$$

$$E \times \sigma_R(E_{\text{coll}}) = \pi d^2 \left(E_{\text{coll}} - E_0 \right)$$

Plot $E \times \sigma_R(E_{\text{coll}})$ vs E_{coll} (See attached)

$$\frac{\pi d^2}{E_0} = 2.6 \text{ Å}^2$$

$$E_0 = 7.4 \text{ kJ mol}^{-1}$$



$$2(b) \quad k(T) = \langle v_{\text{rel}} \rangle \int_0^{\infty} \frac{E_{\text{coll}}}{kT} \pi d^2 \left(1 - \frac{E_0}{E_{\text{coll}}} \right)^{-E_{\text{coll}}/kT} e^{-E_{\text{coll}}/kT} \frac{dE_{\text{coll}}}{kT}$$

$$\alpha = \frac{E}{kT} \quad a = \frac{E_0}{kT}$$

$$d\alpha = \frac{1}{kT} dE$$

$$k(T) = \langle v_{\text{rel}} \rangle \int_a^{\infty} \pi d^2 (x-a) e^{-x} d\alpha$$

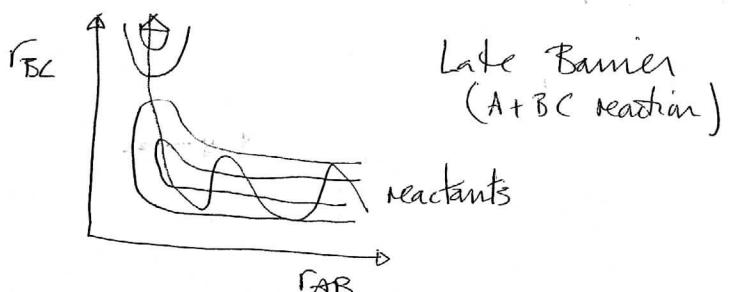
$$= \langle v_{\text{rel}} \rangle \pi d^2 e^{-a}$$

$$\boxed{k(T) = \langle v_{\text{rel}} \rangle \pi d^2 e^{-E_0/kT}}$$

Simple
Collision
Theory!

(c) Factors

- ① More energy in HeI ($v=1$) than $v=0$.
- ② Shape of the PES. To favour enhancement of cross-section by vibration, would a late barrier!



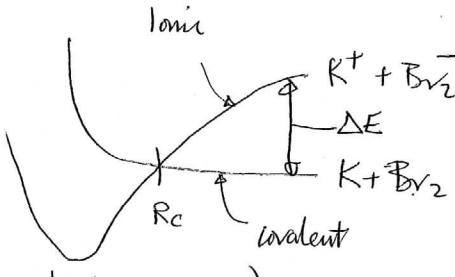
(4)

③ Hookean rxn

①

$\sqrt{v_{\text{covalent}}} \approx 0$ (van der Waals at long range)

$$V_{\text{ionic}} = \Delta E - \frac{e^2}{4\pi\epsilon_0 R}$$



Curve crossing occurs at when $\sqrt{v_{\text{covalent}}} = V_{\text{ionic}}$!

$$\Delta E = \frac{e^2}{4\pi\epsilon_0 R_c}$$

$$R_c = \frac{e^2}{4\pi\epsilon_0 \Delta E} \quad (1.6 \times 10^{-19})$$

$$R_c = 8.0 \text{ \AA}$$

$$\begin{aligned} \sigma_R &\approx \pi R_c^2 \quad (\text{Assuming } P(b)=1 \text{ again}) \\ &\approx 200 \text{ \AA}^2 \quad (\text{Huge}) \end{aligned}$$

④

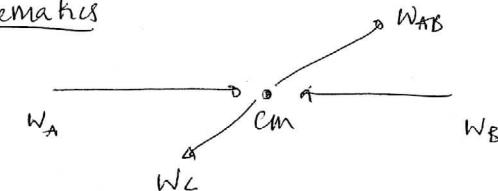
IP's decrease from Na to Cs

∴ σ_R increases (because $\Delta E \downarrow$)

⑤ Some details of crossed molecular beam experiments described in lectures (and recommended texts).

(5)

④ Kinematics



Momentum Conservation

$$m_A w_A = -m_B w_B \quad (1)$$

$$m_C w_C = -m_{AB} w_{AB} \quad (2)$$

$$E_{\text{kin}} = \frac{1}{2} m_A w_A^2 + \frac{1}{2} m_B w_B^2$$

$$E_{\text{kin}} = \frac{1}{2} m_{BC} \frac{M}{m_A} w_{BC}^2$$

Substitute for w_A using (1)

$$(M = m_A + m_B)$$

Similarly for E'

$$E'_{\text{kin}} = \frac{1}{2} m_C w_C^2 + \frac{1}{2} m_{AB} w_{AB}^2$$

$$E'_{\text{kin}} = \frac{1}{2} m_C \frac{M}{m_{AB}} w_C^2$$

$$\therefore \frac{E'_{\text{kin}}}{E_{\text{kin}}} = \cos^2 \beta \left(\frac{w_C}{w_{BC}} \right)^2$$

with
 $\cos^2 \beta = \frac{m_A m_C}{m_{AB} m_{BC}}$
skew angle

(6)

In Spectator limit when $\omega' = \omega_{\text{R}}$

$$E'_{\text{all}} = \cos^2 \beta E_{\text{all}}$$

\therefore (i) $E'_{\text{all}} = E_{\text{all}}$ when $\cos^2 \beta = 1$

Ocurs when $\beta \approx 0^\circ$.
ie, for a light atom transfer rxn.
eg. $\text{Cl} + \text{HI}$ Q5
exothermicity must be released into internal modes

(ii) $E'_{\text{all}} \approx 0$ when $\cos^2 \beta \approx 0$
(light attacking/departing)
atom

(5) (a) Principally laser pump-probe methods (see lecture notes)

(b) Points about specific reactions:

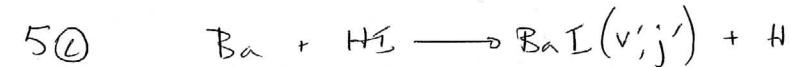
(i) Kinematics: skew angle for $\text{H} + \text{H}_2 \approx 90^\circ$, while for $\text{Cl} + \text{HI}$ is $\approx 10^\circ$

(ii) Pobanjic's rules really only work for $\beta \approx 90^\circ$, ie for $\text{H} + \text{H}_2$. Late barrier in this case

(iii) for $\text{Cl} + \text{HI}$, small skew angle is responsible for high vibrational excitation, in spite of high barrier (related to Q5 above)

(iv) $\text{H} + \text{H}_2 \xrightarrow{\beta} \text{rebound dynamics}$ (small $\sigma + b$'s)
 $\text{Cl} + \text{HI} \rightarrow \text{stripping dynamics}$ (large $\sigma + b$'s)

(7)



Ang. mom
conservation
in this case

$$\underline{L} \longrightarrow \underline{j'}_{\text{BaI}}$$

$$P(L) \approx P(j') \leftarrow \begin{matrix} \text{means} \\ \text{LiF} \end{matrix} \text{ mixing} \\ \equiv P(b)$$

arbitrary ang mom
quantum number

$$|L| = \mu \sqrt{a_0 b} = \hbar \sqrt{L(L+1)} \approx \hbar (L + \frac{1}{2})$$

$$L \sim \mu \frac{V_{\text{rel}} b}{\hbar} = 420 \quad \mu = \frac{137.3 \cdot 127.9}{265.2} u \\ \text{most probable 'b'}$$

$$b \sim \frac{\hbar 420}{\mu V_{\text{rel}}} = \underline{\underline{4.1 \times 10^{-10} \text{ m}}}$$

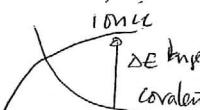
$$\sigma_R \approx \pi b^2 = 53 \text{ } \text{\AA}^2$$

(6) Things to consider

- $\text{K} + \text{H}_2 \approx$
- Forward scattering (Harpoon rxn with large cross-section \rightarrow rxn at large b)
 - K_2 is born internally excited. Energy released early along rxn coordinate.

(8)

K + CH₃I - Backward Scattering (rebound dynamics)
Small cross-section + rxn at low b's.

- Harpoon rxn but EA of CH₃I is negative. Barrier to reach r_c: 

- KI born translationally excited. Late release of exothermicity (late barrier)

H^(D) + H₂

- Forms a rotating collision complex (H₂S[⊕])
- Leads to forward-backward symmetry in the DCS.
- [Relative height of DCS at 0°, 180° versus 90° depends on angular momentum conservation L → l' or L'.]

7 (a) - OH + D₂ → HOD + D is iso-electronic

- with F + H₂ and dynamics are similar.
- Rebound reaction - early barrier - population inversion in HOD(v).
- Extra feature is that none of the energy is released into OH vibration. The OH bond acts as a 'spectator'.

Example of selective disposal of energy in newly formed bond.

(9)

- { Reverse reaction H + HOD also discussed in lectures - provides example of mole selective chemistry. Role / lack of role of IVR also discussed briefly. }

(b) - Cf F - pH₂⁻ again. Photoelectron spectroscopy of the anion suggests F-H₂⁺ T.S. is bent (linear-bent transition). OH-H₂⁻ (H₃O⁻) has also been studied.

- Need anion geometry to be similar to neutral T.S. geometry if you want to probe T.S. structure. So the method is not entirely general.